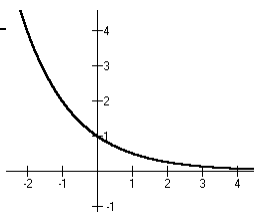
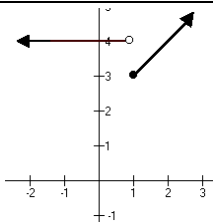


**Precalculus and Honors Precalculus
Review for Final Exam**

ANSWER KEY

1. $T = (20 \div 2)(-2 + 150) = 1480$	26. $x = 81$
2. $\frac{5}{3}$	27. $y = 3 \sin 2x + 1$
3. $\lim_{x \rightarrow 2} f(x) = -1$	28. $\frac{1}{2}$
4. $x \leq -1$ or $x > 2$	29. $x = 14.0$ cm
5. $x = 5\sqrt{3}$	30. $(x + 3)$ is a factor
6. $\frac{x^2}{4} + \frac{y^2}{9} = 1$	31. inverse: $y = \frac{8}{5}x + \frac{48}{5}$ or $y = 1.6x + 9.6$
7. $x = 9$	32. amplitude = 2
8. a) Relation: Any set of ordered pairs b) Function: A Relation with no "x" value repeated c) Range: The set of all "y" values d) Domain: The set of all "y" values	33. remainder = 29
9. $\sin 170^\circ$	34. possible roots: $\pm 1, \pm 2, \pm 3, \pm 6, \pm \frac{1}{3},$ and $\pm \frac{2}{3}$
10. $x = -\frac{5}{3}$ or $x = 4$	35. $x = 8$ cm
11. sequence = 1, 2, 5, 8, 11, 14 $T = 40$	36. period = 45° or $\frac{\pi}{4}$
12. $f[g(x)] = 2(4x - 2) + 5 = 8x + 1$	37. area = 139 cm^2
13. $P = 3,424,000 (1.013)^{10} = 3,896,081$	38. $\frac{(x-3)^2}{9} + \frac{(y+1)^2}{4} = 1$
14. $(x-4)^2 + (y+2)^2 = 9$	39. hyperbola
15. $x = 15 \tan(37^\circ) = 11.3$ cm	40. $\theta = 240^\circ$ or 300°
16. $\sum_{x=3}^{10} (3x-1) = 8+11+14+17+20+23+26+29 = 148$	41. $\log_5(8^3 \times 9 \div \sqrt{3}) = \log_5 1536\sqrt{3}$
17. $(-2\sqrt{2}, 2\sqrt{2})$	42. Quartic function with single roots at 2 and -2, and a double root at 0
18. 	43. $ x \geq 1$
	44. limit = 0
	45. $\csc x - \sec x$
	46. $\frac{1}{2} \log_2 4 = 1$
	47. inverse of $y = 2x^2 - 4, x \leq 0$ is $y = -\sqrt{\frac{x+4}{2}}$
19. $\frac{x^2}{9} - \frac{y^2}{4} = 1$	48. $y = -(x+1)^2(x-2)$
20. factors: $(x^2 + 9)(x - 4)$ roots: $3i, -3i,$ and 4	49. The vertical asymptotes are $x = -1$ and $x = 3$ The horizontal asymptote is $y = 0$ (x-axis) The root is at the point $(2, 0)$ The y-intercept is at the point $(0, \frac{4}{3})$
21. 288°	
22. length = $\frac{43\pi}{36}$	50. $x = 0, y = 4$
23. graph shown 	$x = -\sqrt{7}, y = -3$
	$x = \sqrt{7}, y = -3$
24. circle with radius = 1, center at $(1, 0)$	
25. $x = -1, y = 3$	